

Study of top-quark production and decay vertices at NLC

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Top-quark physics

Top-quark is already discovered

... no longer 'search' physics

It also has potential to search new physics

$m_{\text{top}} = 175 \text{ GeV}$... Uniquely heavy

$\Gamma_t = 1.4 \text{ GeV}$... Decays very fast

NLC is excellent and much cleaner place to do it

...than LHC!!

Top-quark anomalous coupling analysis

Top-quark decays before forming a hadron

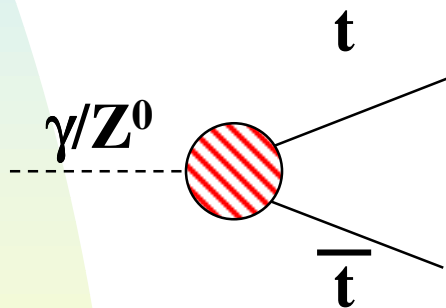
→ Top spin information is transferred to **its daughters**

→ **can probe the couplings**

with their angular distributions

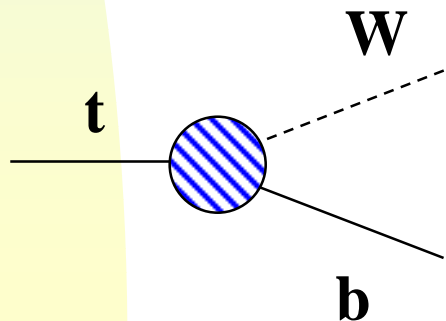
At NLC, we can probe both top-production + decay couplings

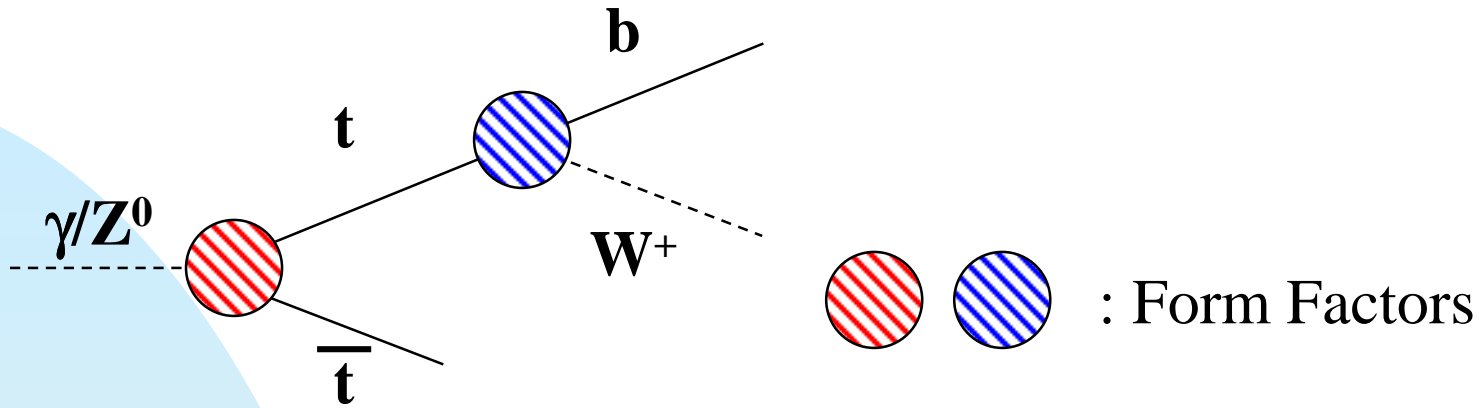
production



← can't do at LHC!

decay





Form Factors at $\gamma/Z^0 \rightarrow t \bar{t}$ vertex:

$$iM = \{ \gamma^\mu [\mathbf{F}_{1V} + \mathbf{F}_{1A} \gamma_5] + i\sigma^{\mu\nu} q_\nu / 2m_t [\mathbf{F}_{2V} + \mathbf{F}_{2A} \gamma_5] \}$$

SM(Z): $(1/4 - \sin^2\theta_W) / \sin\theta_W \cos\theta_W$ $(-1/4) / \sin\theta_W \cos\theta_W$ **0** **0**

(γ): **2/3** **0** **0** **0**

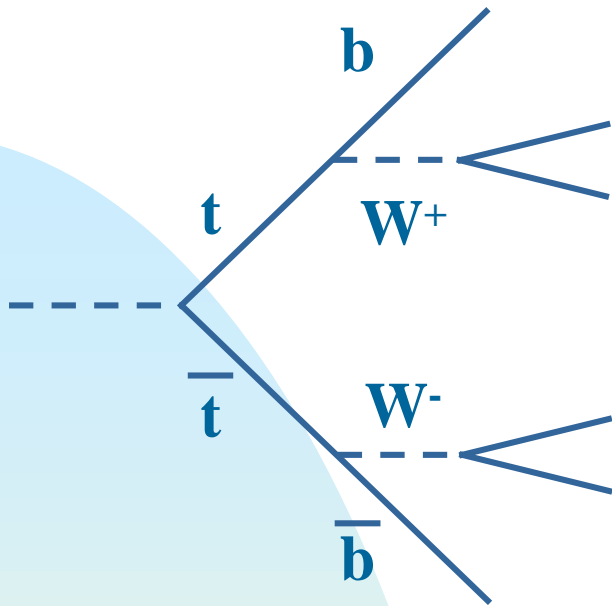
\mathbf{F}_{2V} : Electroweak Magnetic Dipole moment

\mathbf{F}_{2A} : Electric Dipole moment .. Non-zero \rightarrow ~~CP~~

Form Factors at $t \rightarrow b W$ vertex:

$$iM = ig/\sqrt{2} \{ \gamma^\mu [\mathbf{F}_{1L}^W P_L + \mathbf{F}_{1R}^W P_R] + i\sigma^{\mu\nu} q_\nu / 2m_t [\mathbf{F}_{2L}^W P_L + \mathbf{F}_{2R}^W P_R] \}$$

SM: **1** **0** **0** **0**



Signal of $t \bar{t}$ production

... 2b's and 2W's

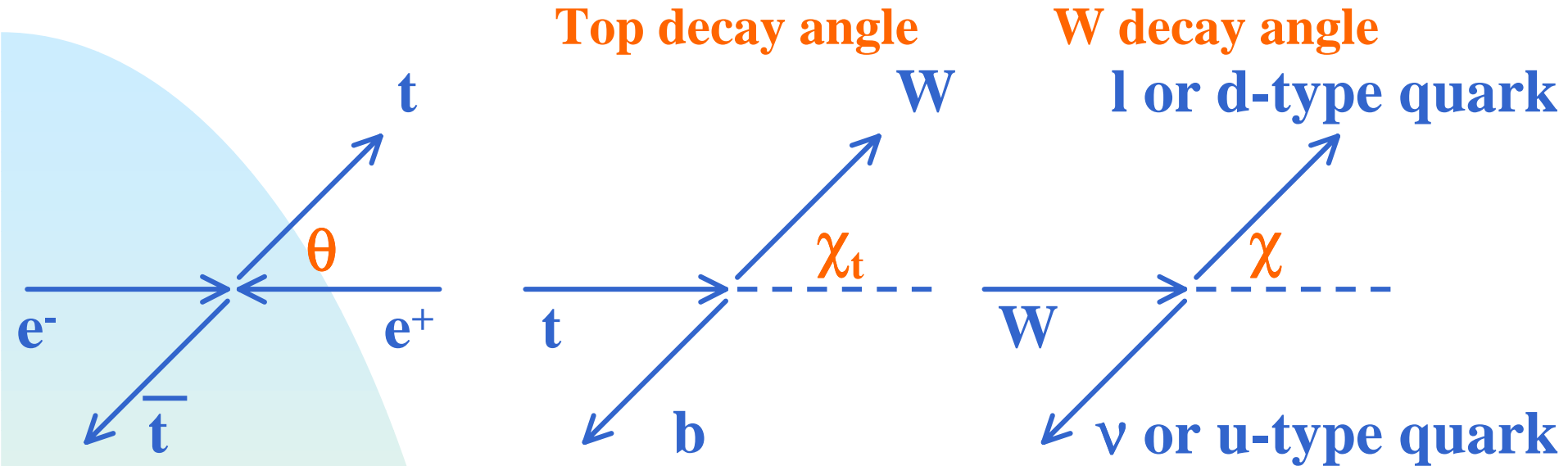
Depending on the W decay, there are 3 final states:

1) 2 leptons + 2 jets (both leptonic)

2) 1 lepton + 4jets (1 leptonic 1 hadronic)

3) 6 jets (both hadronic)

Here we define the angles



We want to measure these angles

Which one is t or \bar{t} ? ... use charge of the lepton

4-momentum of the leptonic decayed top-quark

... from the opposite top-quark

In this analysis, we use $tt \rightarrow 4 \text{ jets} + 1 \text{ lepton } (\mu \text{ or } e)$

Generate tt events with Pandora-Pythia

$m_t = 175 \text{ GeV}$, $E_{\text{CM}} = 500 \text{ GeV}$

including QCD effect(parton shower), ISR+beamstrahlung

Beam polarization...

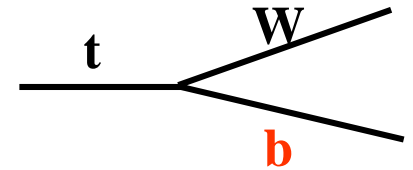
1) $P(e^-) = -0.8$	$P(e^+) = 0$	$\sigma_{tt} = 742 \text{ fb}$
2) No polarization		565 fb
3) $P(e^-) = +0.8$	$P(e^+) = 0$	398 fb
4) $P(e^-) = -0.8$	$P(e^+) = +0.5$	1078 fb
	$\rightarrow P_{\text{eff}} = 0.93$	

- Generate 100 fb^{-1} each ... Through LCD Fast Detector simulator
- Reconstruct 4 jets by Jet-clustering (JADE)
 - ... use charged tracks + Neutral clusters
(charged/neutral cluster separation .. **Perfect**)
- Reconstruct W by 2 jets
- Reconstruct Top by $W + b\text{-jet}$ (Apply $0.85 < E_{3\text{jets}}/E_{\text{beam}} < 1.05$)

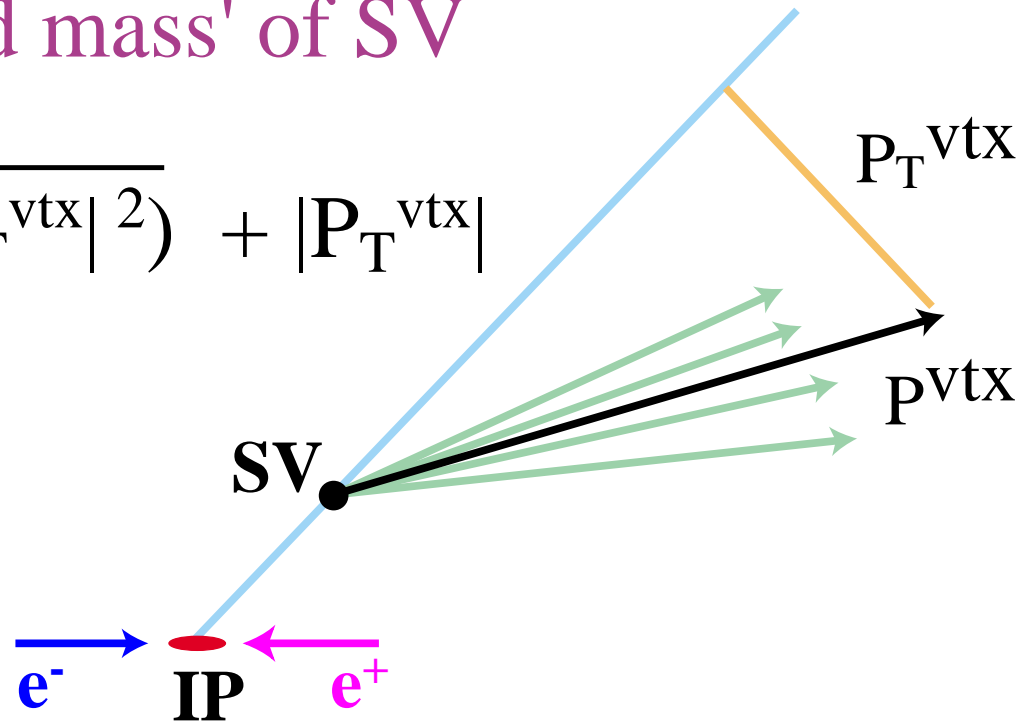
Flavor-tagging

To tag b-quark, we use mass-tag method

1. Reconstruct Secondary Vertex
2. Form 'P_T-corrected mass' of SV



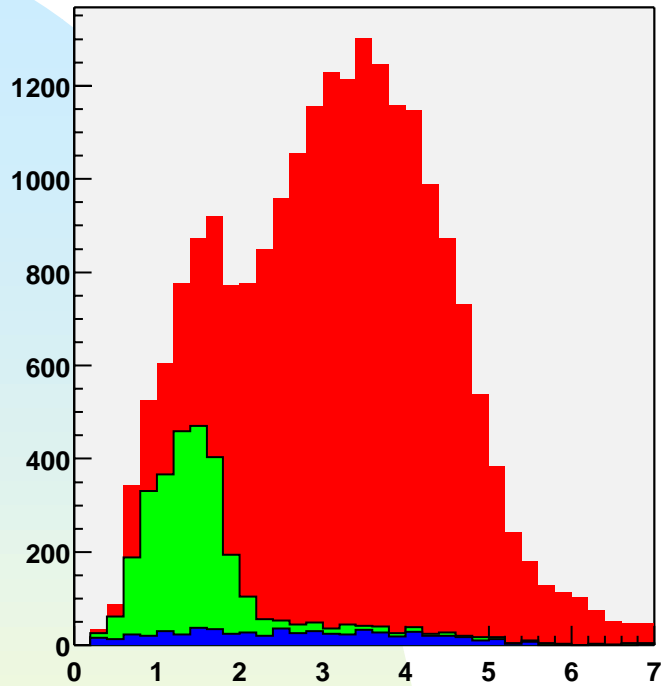
$$M_{\text{corr.}} = \sqrt{(M_{\text{vtx}}^2 + |\mathbf{P}_T^{\text{vtx}}|^2)} + |\mathbf{P}_T^{\text{vtx}}|$$



3. Identify heavy-quark signals with M_{corr}

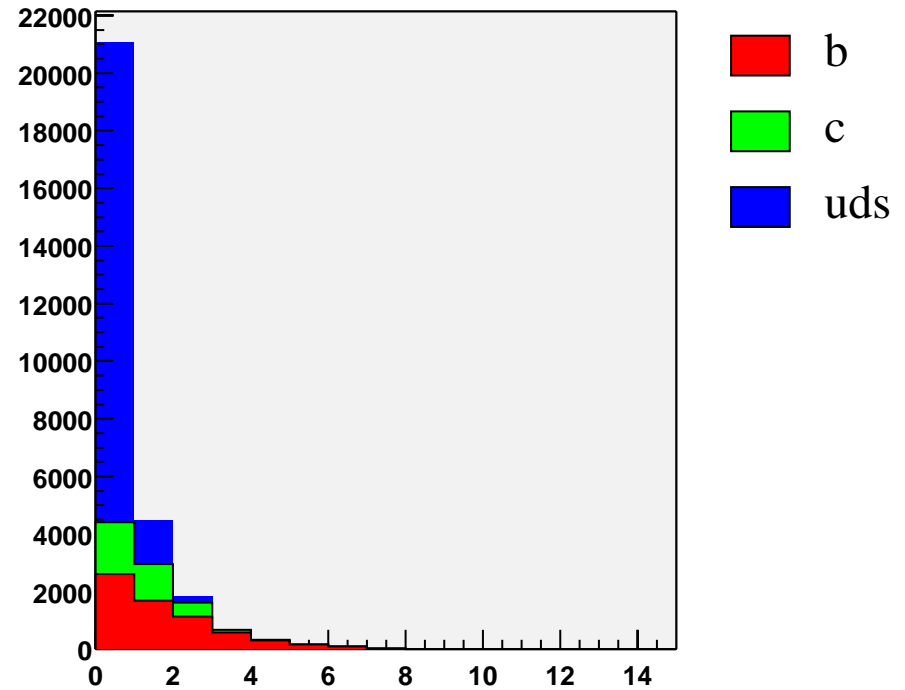
Flavor tagging

heavy-quark



P_T corrected mass (GeV)

uds-quark



of significant tracks in jet

b : P_T corrected mass > 1.8 GeV

efficiency = 67% purity = 95%

c+b: P_T corrected mass > 0.5 GeV

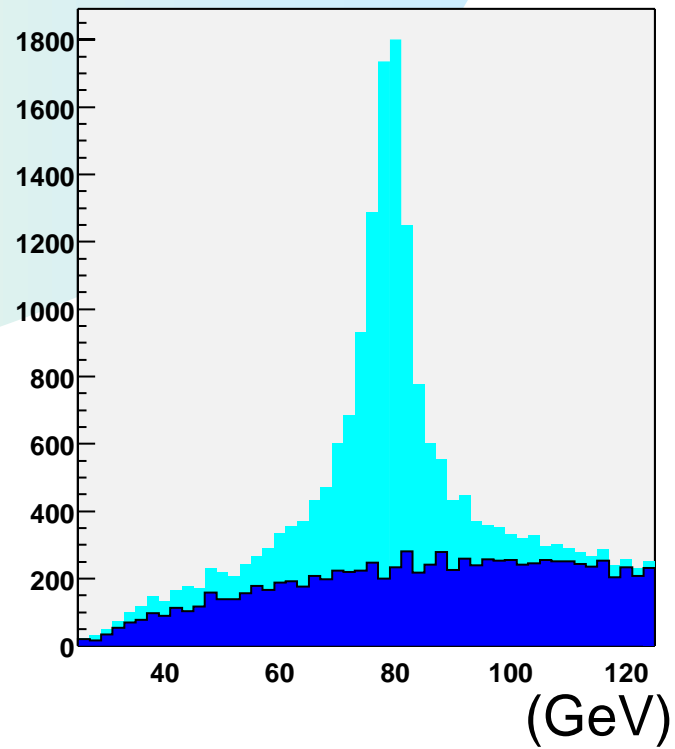
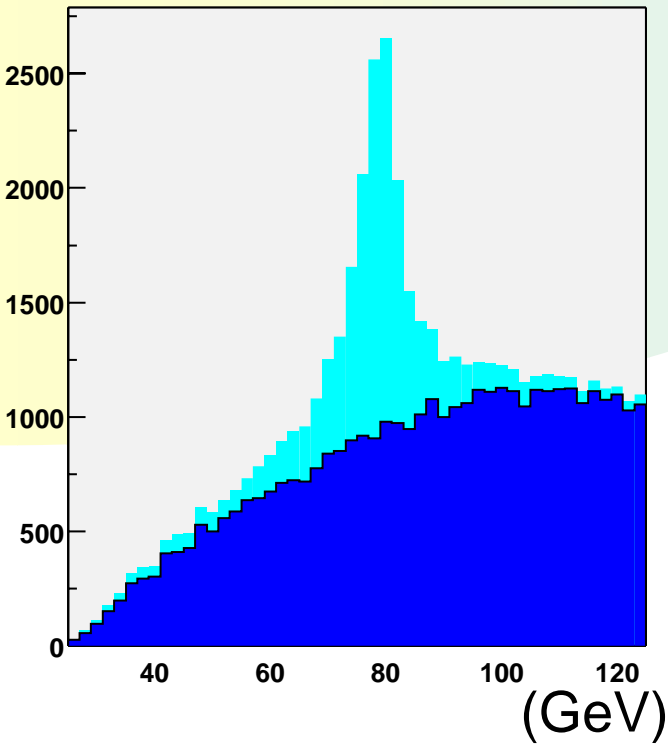
efficiency = 67% purity = 97%

uds: $N_{sig} = 0$

efficiency = 87% purity = 79%

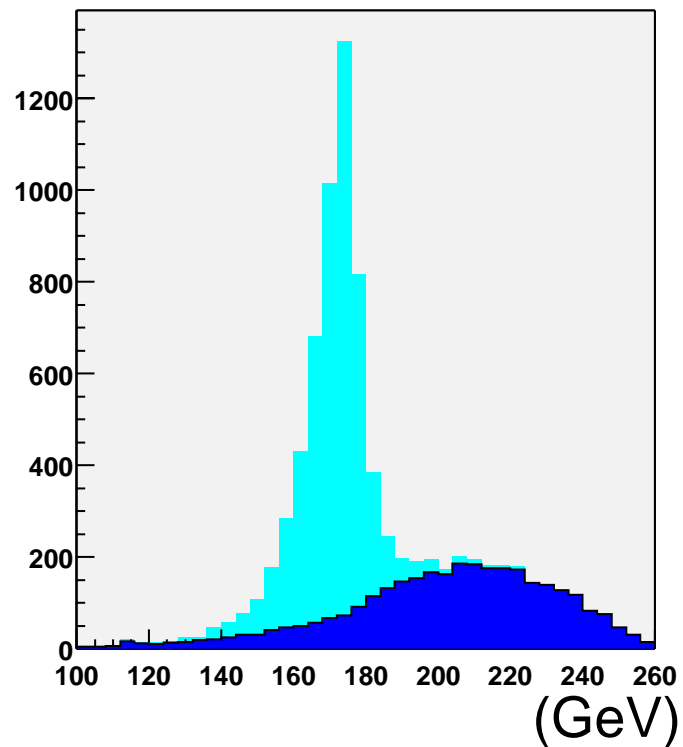
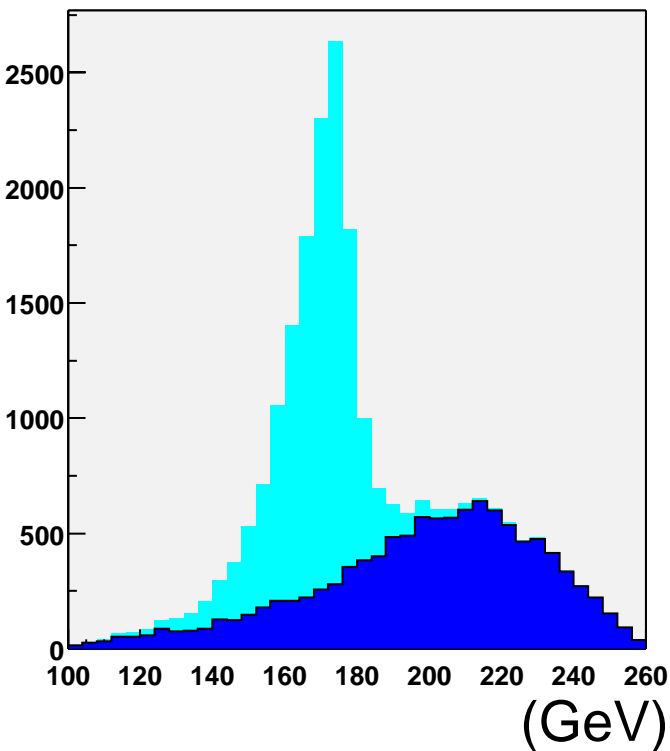
Reconstructed W with 2 jets

With flavor-tag



Reconstructed top with 3 jets

With flavor-tag



Selection efficiency::

Event selection $\varepsilon = 60\%$

Top selection 50%

Flavor-tag 67%

Total 20%

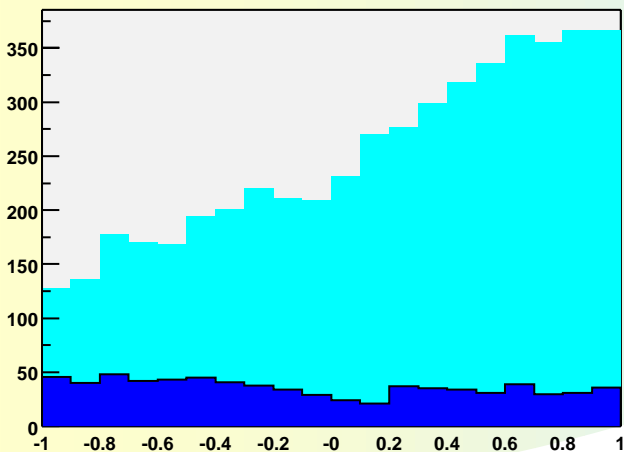
Top-reconstruction performance::

purity 88% (80% without flavor-tag)

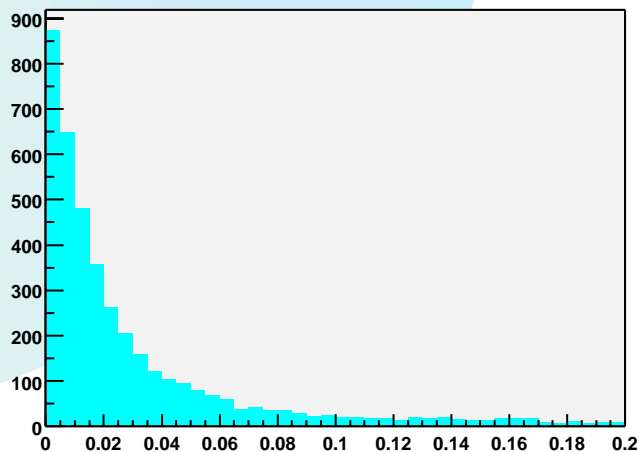
correct b-assign 86% (53%)

Mass resolution 7.6 GeV (10.0 GeV)

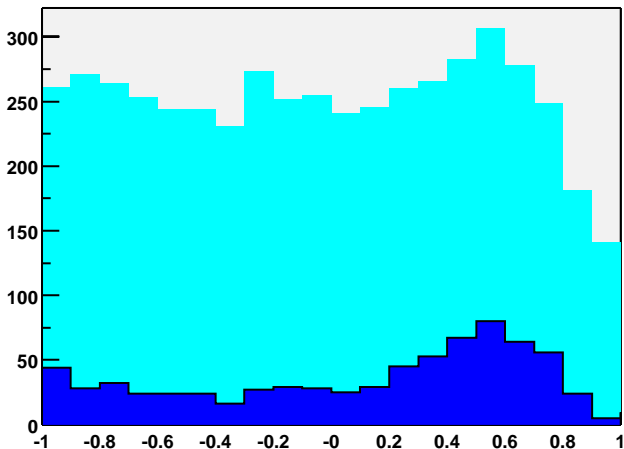
Reconstructed Angular Distributions



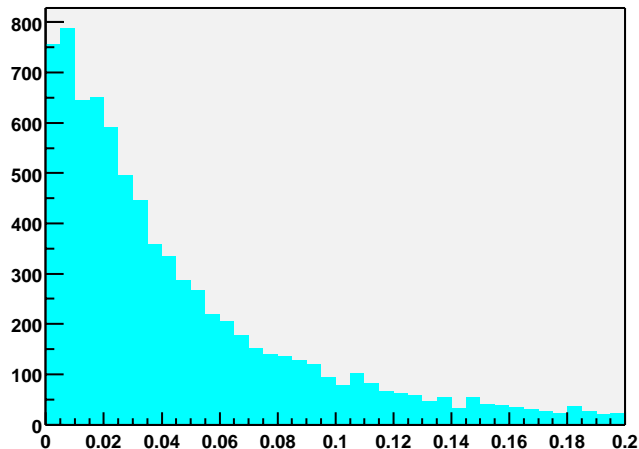
$\cos\theta$



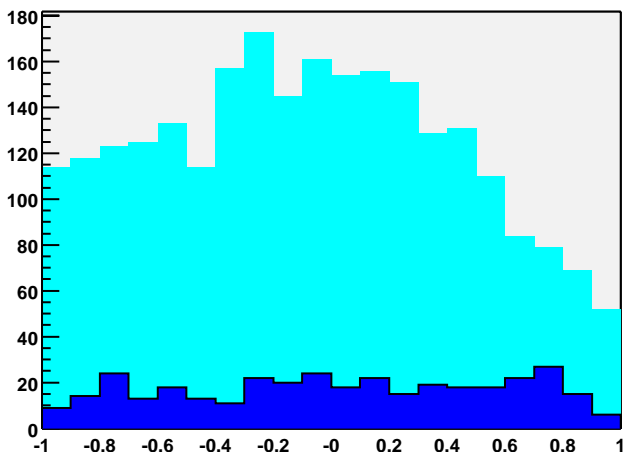
$\Delta\theta(\theta - \theta_{\text{gen}})$
 $\Delta\theta = 23\text{mrad}$



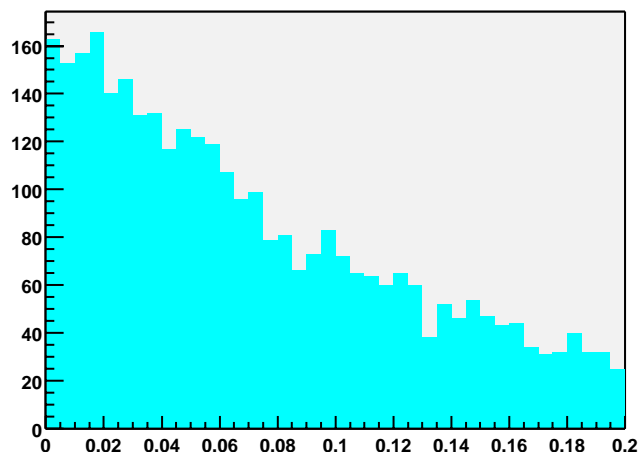
$\cos\chi_t$



$\Delta\chi_t$
 $\Delta\chi_t = 52\text{mrad}$



$\cos\chi$



$\Delta\chi$
 $\Delta\chi = 100\text{mrad}$

Preliminary sensitivities to the couplings (γ/z $t \bar{t}$ vertex)

1) $F_{1,2A}^{Z,\gamma} \rightarrow$ Maximum Likelihood method

2) $F_{1,2V}^{Z,\gamma} \rightarrow$ L/R asymmetry

1) Sensitivities to $F_{1,2A}^{Z,\gamma}$ for 100 fb^{-1} (68% CL)

	F_{1A}^{γ}	F_{1A}^Z	F_{2A}^{γ}	F_{2A}^Z
$P(e^-) = -0.8$	0.011	0.013	0.016	0.049
$P(e^-) = -0.8$ $P(e^+) = +0.5$	0.009	0.011	0.021	0.033
No polarization	0.011	0.014	0.013	0.059
$P(e^-) = +0.8$	0.011	0.015	0.014	0.052

\rightarrow positron polarization is useful ($\sim 20\%$ effect)

2) Sensitivities to $F_{1,2V}^{Z,\gamma}$ using L/R asymmetry (200 fb^{-1})

$$A_{LR} = (0.335 \pm 0.017) / 0.8 \quad (\text{for } |P_e| = 0.8)$$

$$\begin{aligned} \rightarrow F_{1V}^{\gamma} &: 0.047 & F_{1V}^Z &: 0.012 \\ F_{2V}^{\gamma} &: 0.038 & F_{2V}^Z &: 0.009 \end{aligned}$$

$P(e^-) = -0.8$

- 1) Without ISR, Beamstrahlung, parton-shower
 - 2) With ..
 - 3) With .. + Energy Flow (detector LD)
-

	1)	2)	3)
Top efficiency	24%	20%	14%
Top purity	90%	87%	86%
Δm_{top}	5.8 GeV	7.6 GeV	9.4 GeV
$\Delta\theta$	14 mrad	23 mrad	39 mrad
F_{1A}^{γ} sensitivity	0.010	0.011	0.012
F_{1A}^Z	0.012	0.013	0.015
F_{2A}^{γ}	0.012	0.016	0.018
F_{2A}^Z	0.039	0.049	0.058

Summary

We estimate very preliminary sensitivities (real parts)

1) From Maximum Likelihood analysis (100 fb⁻¹)

$$F_{1A}^{\gamma} \sim 0.01 \quad F_{1A}^Z \sim 0.01 \quad F_{2A}^{\gamma} \sim 0.02 \quad F_{2A}^Z \sim 0.05$$

2) From L/R asymmetry (100+100 fb⁻¹)

$$F_{1V}^{\gamma} \sim 0.05 \quad F_{1V}^Z \sim 0.01 \quad F_{2V}^{\gamma} \sim 0.04 \quad F_{2V}^Z \sim 0.01$$

Positron polarization is useful (P=0.5 ~20% effect)

ISR, beamstrahlung, parton-showering

... inflate error by 10-30%

Perfect Energy-Flow → Realistic analysis

... inflate error by 10-20%

Future plan

1) tt → 6 jets analysis

top-quark sign.. determined by vertex charge of b-jet

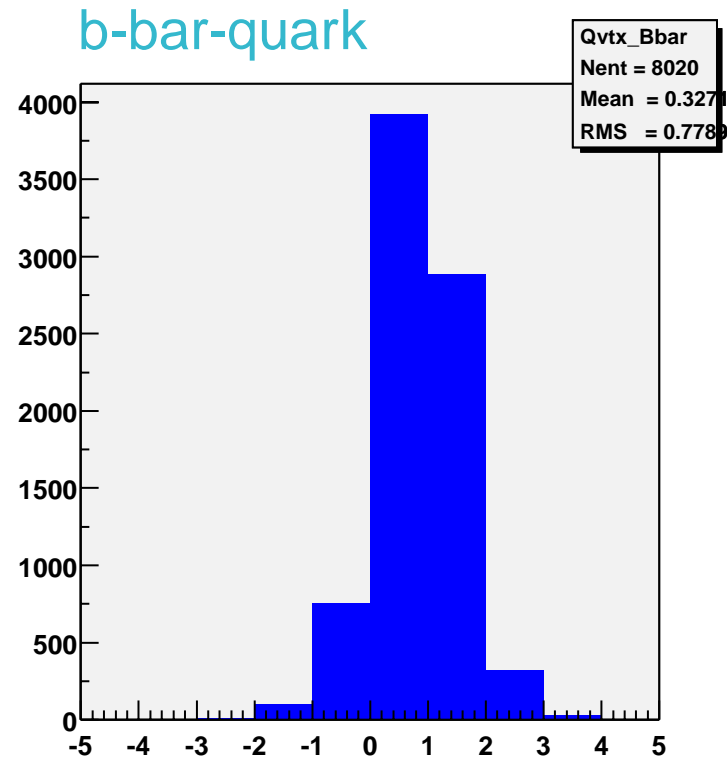
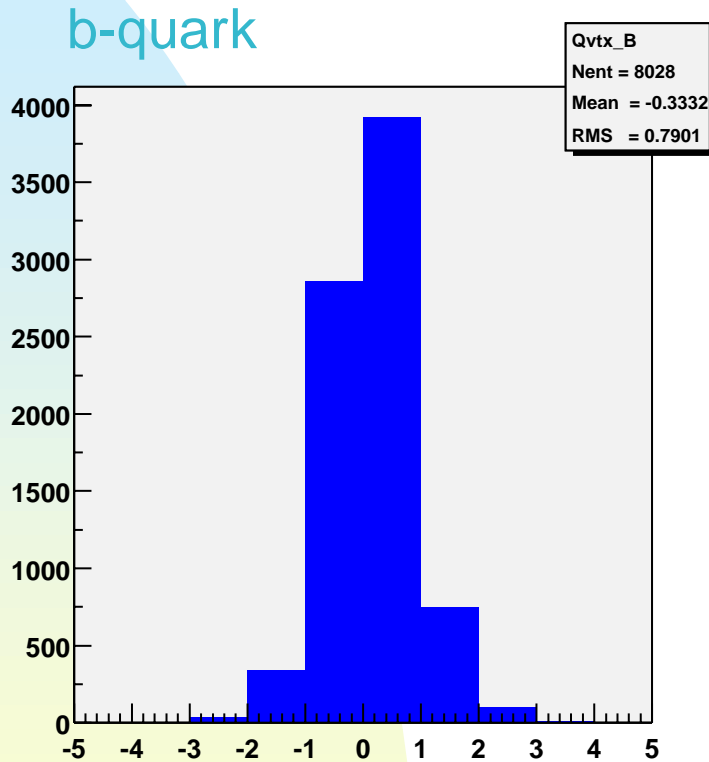
2) Kinematical constraint fit

How to tag t or t-bar??

Using **Vertex charge** of b-jet,

we know b or $\bar{b} \rightarrow t$ or \bar{t} !

(Vertex Charge ... Charge sum of the reconstructed Secondary Vertex)



Vertex Charge

Require at least 1 b-jet has Vertex Charge $\neq 0$

**\rightarrow We can determine t or \bar{t} with purity 83%
efficiency 57%**